How to display data badly

Using Microsoft Excel to obscure your data and annoy your readers

Inspiration

This lecture was inspired by

H Wainer (1984) How to display data badly. American Statistician 38(2):137-147

Dr. Wainer was the first to elucidate the principles of the bad display of data.

The now widespread use of Microsoft Excel has resulted in remarkable advances in the field.
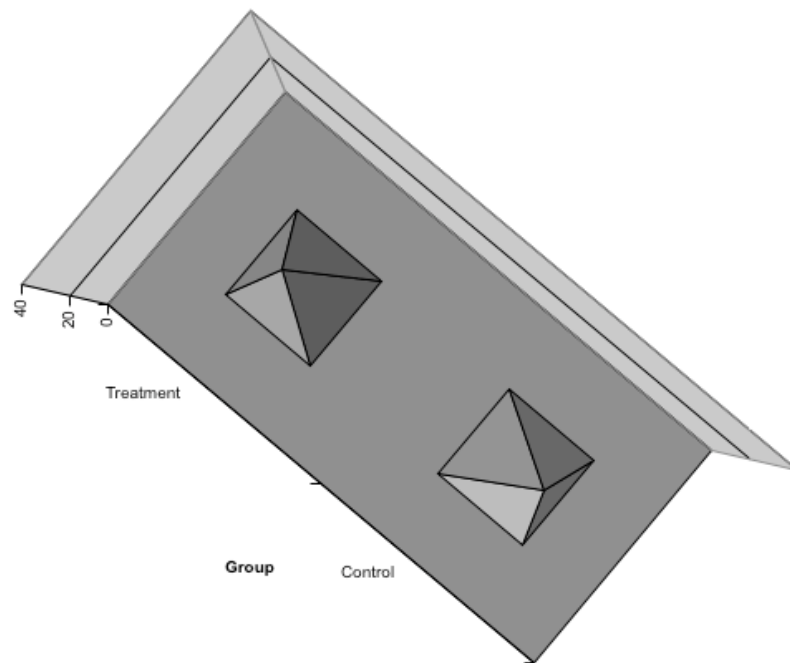
General principles

The aim of good data graphics:

Display data accurately and clearly.

Some rules for displaying data badly:

– Display as little information as possible.

– Obscure what you do show (with chart junk).

– Use pseudo-3d and color gratuitously.

– Make a pie chart (preferably in color and 3d).

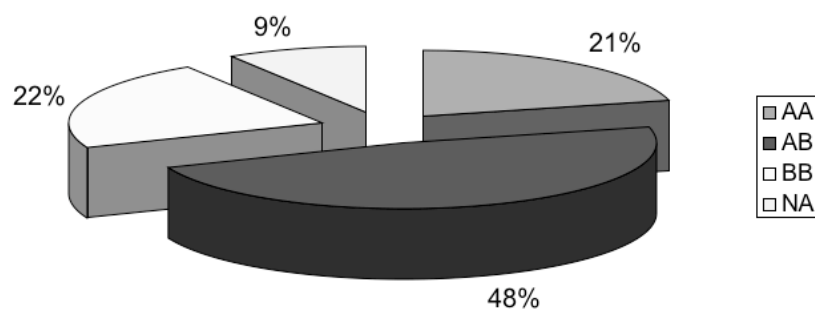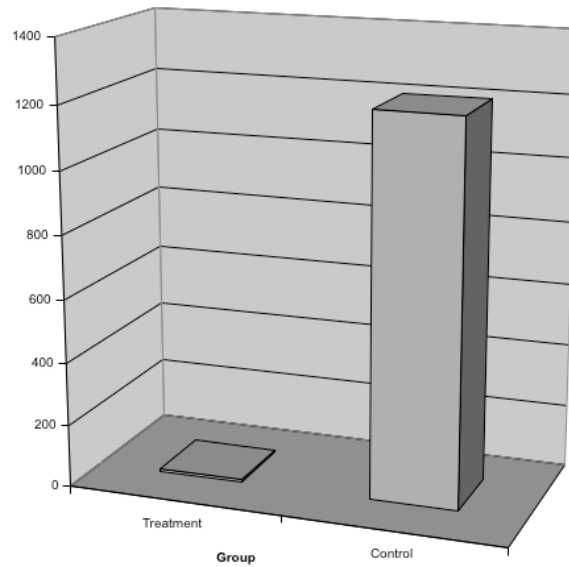– Use a poorly chosen scale.

– Ignore sig figs.

Example 1

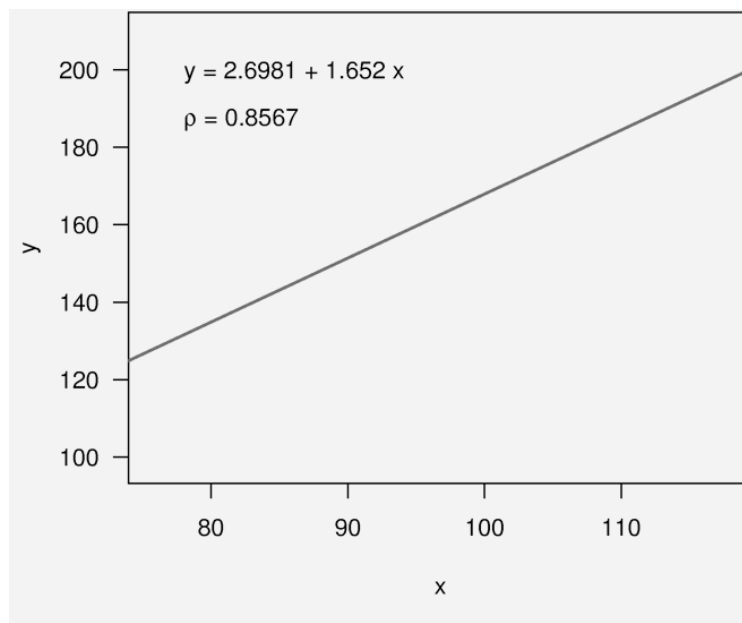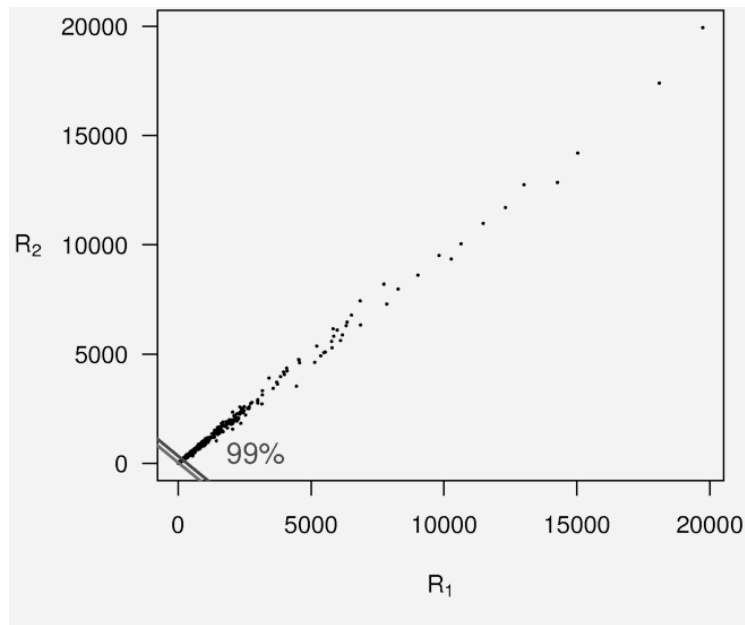# Example 2

Distribution of genotypes

9%

22%

21%

48%

| □ AA |
| ■ AB |
| □ BB |
| □ NA |

Example 3

Example 4

$$y = 2.6981 + 1.652\ x$$

$$\rho = 0.8567$$

Example 5

Example 6

N	$b/c = 10.0$		$b/c = 10.0$		$b/c = 100.0$	
	$r^\star$	G	$r^\star$	G	$r^\star$	G
3	2	0.2	2	2.225	2	22.47499
4	2	0.26333	2	2.88833	2	29.13832
5	2	0.32333	3	3.54167	3	35.79166
6	3	0.38267	3	4.23767	3	42.78764
7	3	0.446	3	4.901	3	49.45097
8	3	0.50743	4	5.5765	4	56.33005
9	3	0.56743	4	6.26025	4	63.20129
10	4	0.62948	4	6.92358	4	69.86462

Example 7

Proportion survived
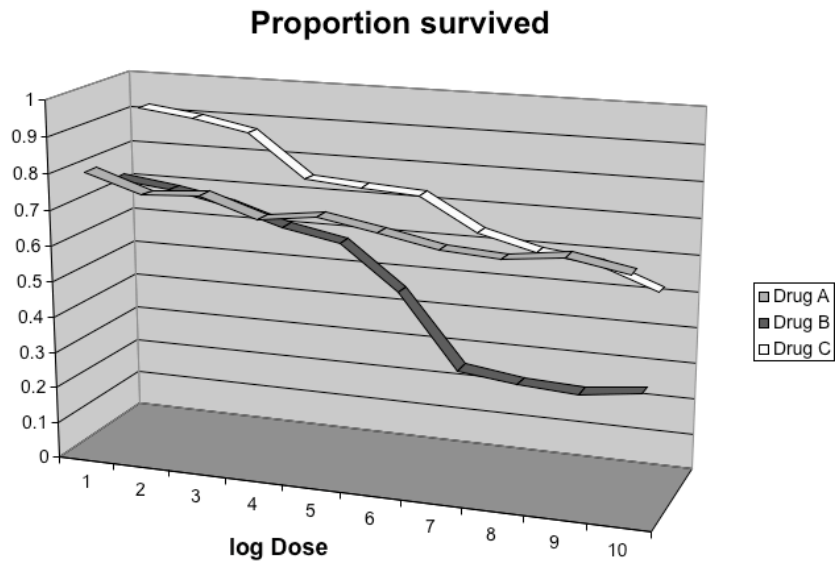
Displaying data well

- Be accurate and clear.

- Let the data speak.
  - Show as much information as possible, taking care not to obscure the message.

- Science not sales.
  - Avoid unnecessary frills — esp. gratuitous 3d.

- In tables, every digit should be meaningful. Don't drop ending 0's.

Further reading

- ER Tufte (1983) The visual display of quantitative information. Graphics Press.

- ER Tufte (1990) Envisioning information. Graphics Press.

- ER Tufte (1997) Visual explanations. Graphics Press.

- WS Cleveland (1993) Visualizing data. Hobart Press.

- WS Cleveland (1994) The elements of graphing data. CRC Press.
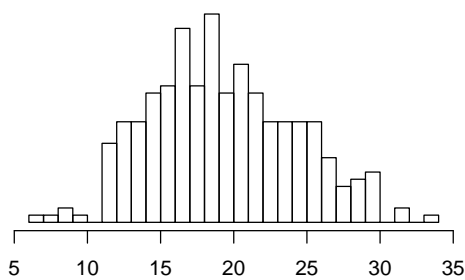
Displaying distributions

Dotplots
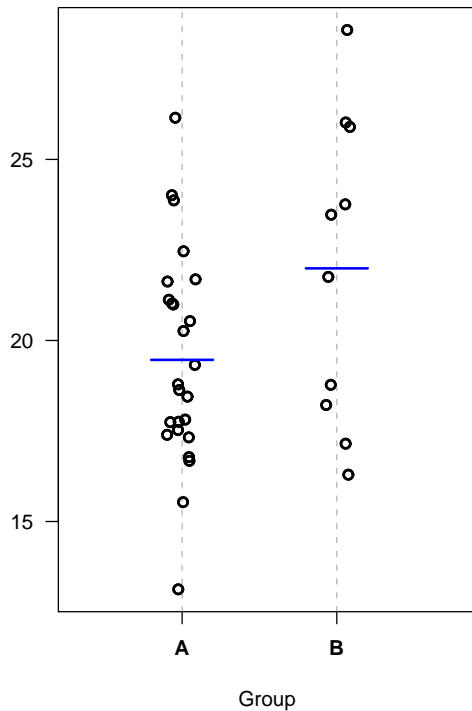
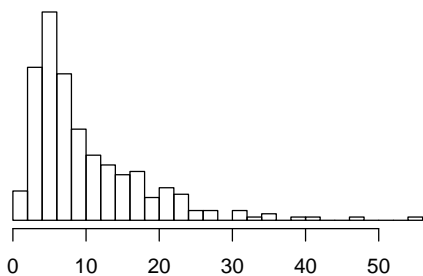- Few data points per group

- Possibly many groups

Histograms
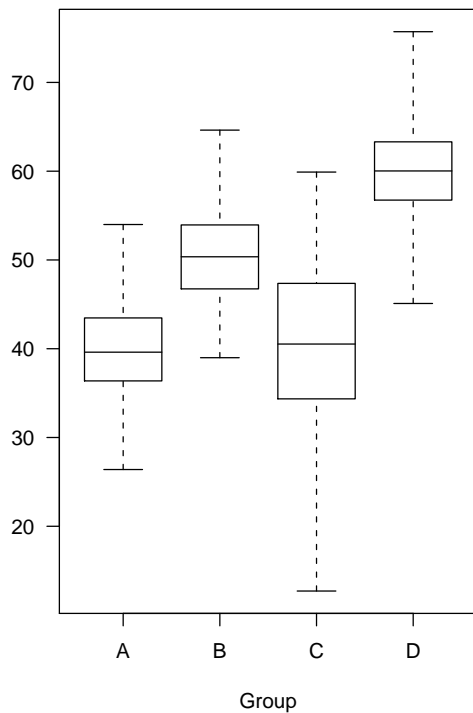

- Many data points per group

- Few groups

- Area of rectangle prop. to number of data points in interval

- I like many bins (typically $2\sqrt{n}$)

Boxplots

- Many data points

- Possibly many groups

- Displays minimum, lower quartile, median, upper quartile and maximum

Summary statistics

Location/ Center	mean (i.e., average)
	median
	mode
	geometric mean
	harmonic mean
Scale	standard deviation (SD)
	inter-quartile range (IQR)
	range
Other	quantile / percentile
	quartile
	quintile

The means

$$\text{mean} = \frac{1}{n} \sum_{i=1}^{n} x_i = (x_1 + x_2 + \ldots + x_n)/n$$

$$\text{geometric mean} = \sqrt[n]{\prod_{i=1}^{n} x_i} = \exp\left\{\frac{1}{n} \sum_{i=1}^{n} \ln x_i\right\}$$

$$\text{harmonic mean} = 1/\left\{\frac{1}{n} \sum_{i=1}^{n} (1/x_i)\right\}$$

# Measures of location/center

- Forget about the mode.

- The mean is sensitive to outliers.
  (The balance point for the histogram.)

- The median is resistant to outliers.

- The geometric mean is used when a logarithmic transformation is appropriate (for example, when the distribution has a long right tail).

- The harmonic mean may be used when a reciprocal transformation is appropriate (very seldom).

Symmetric data

Skewed data
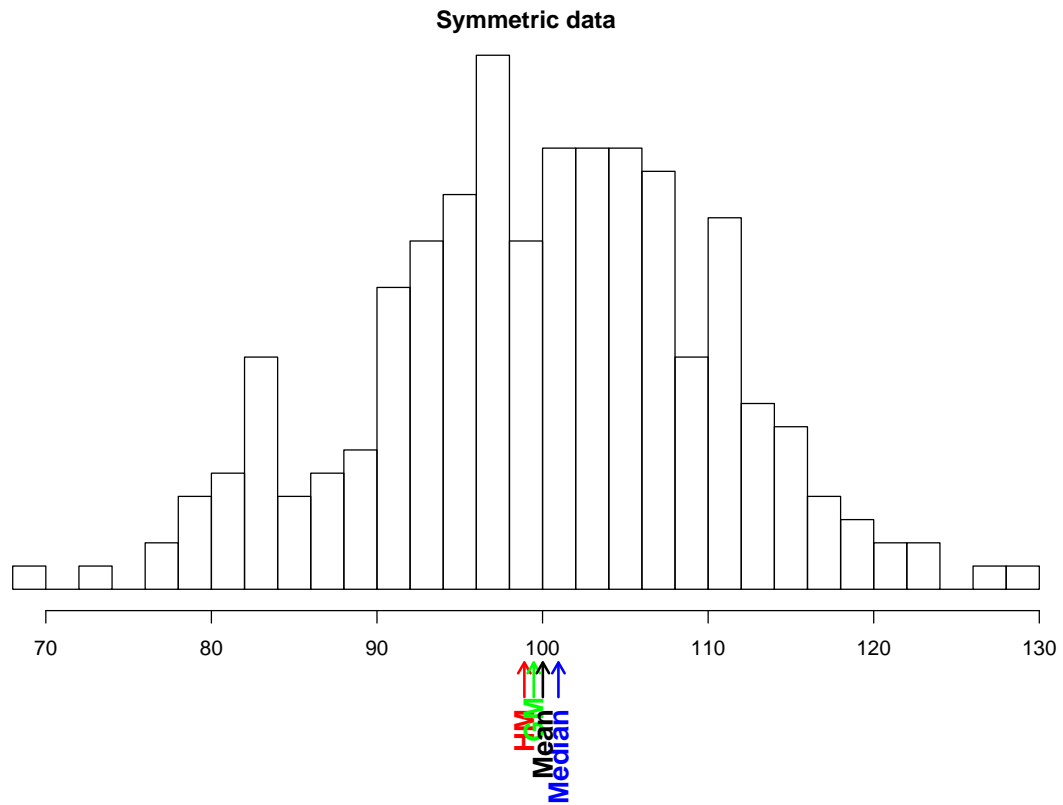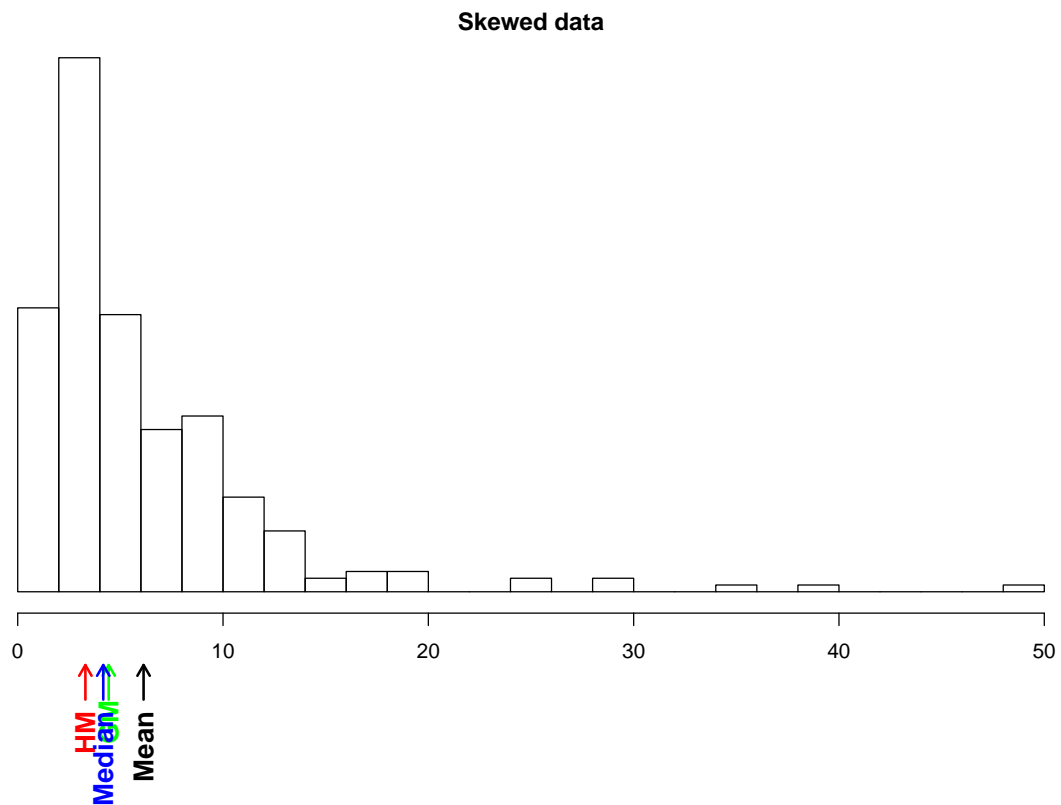
A key point

The different possible measures of the "center" of the distribution are all allowable.

- Which is the best measure of the "typical" value (for your situation)?

- Be sure to make clear which "average" you use.

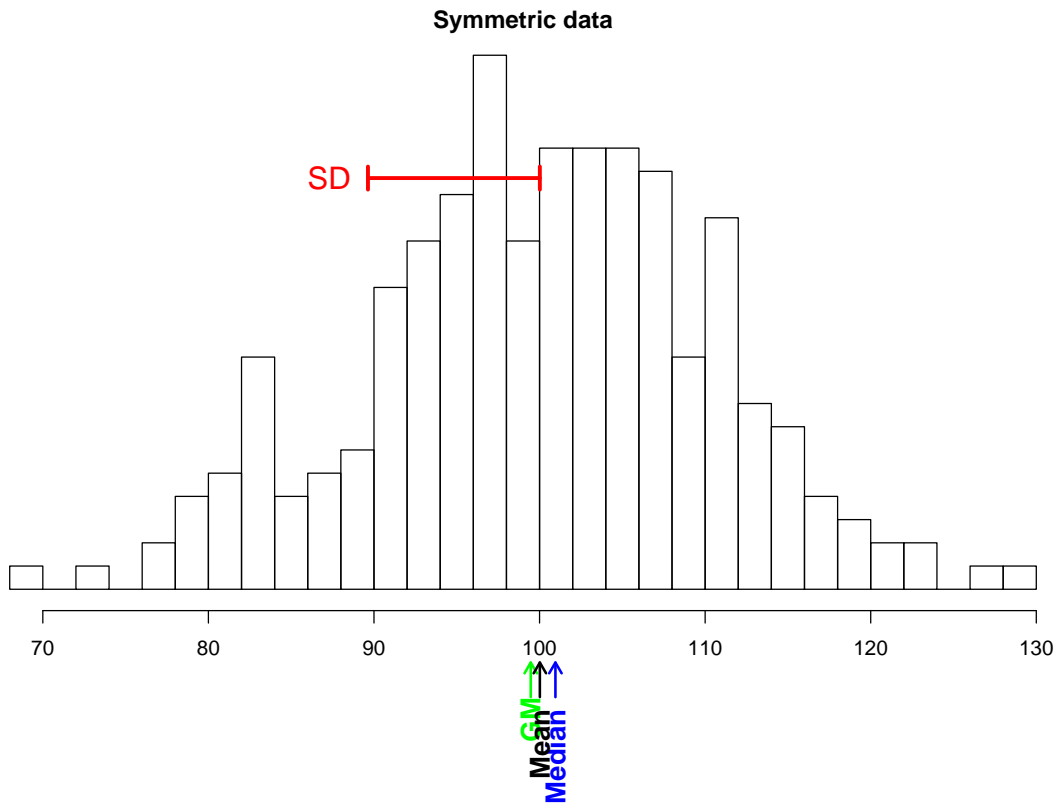# Standard deviation (SD)

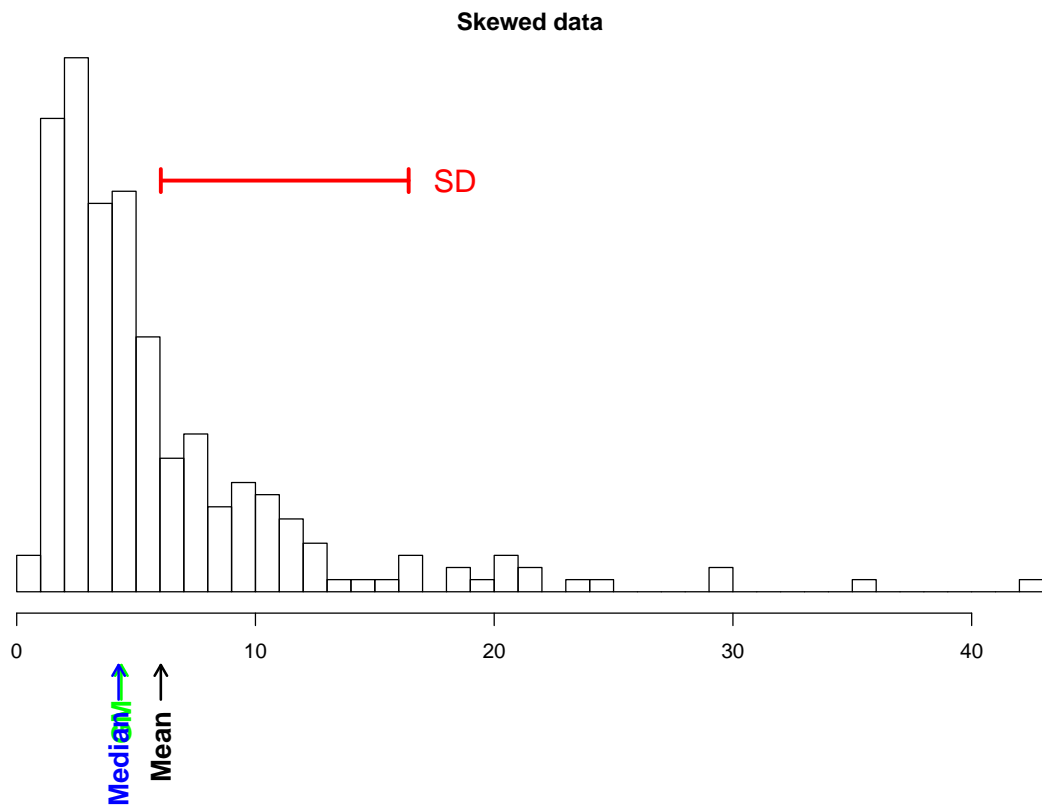$$\text{sample variance} = \frac{1}{n-1} \sum_{i=1}^{n} (x_i - \bar{x})^2 = s^2$$

$$
\begin{aligned}
\text{sample SD} \quad &= \sqrt{s^2} = s \\
&= \text{RMS (distance from average)} \\
&= \text{"typical" distance from the average} \\
&= \text{sort of like ave}\{|x_i - \bar{x}|\}
\end{aligned}
$$

$$\text{Note:} \qquad \bar{x} = \frac{1}{n} \sum_{i=1}^{n} x_i$$

Symmetric data
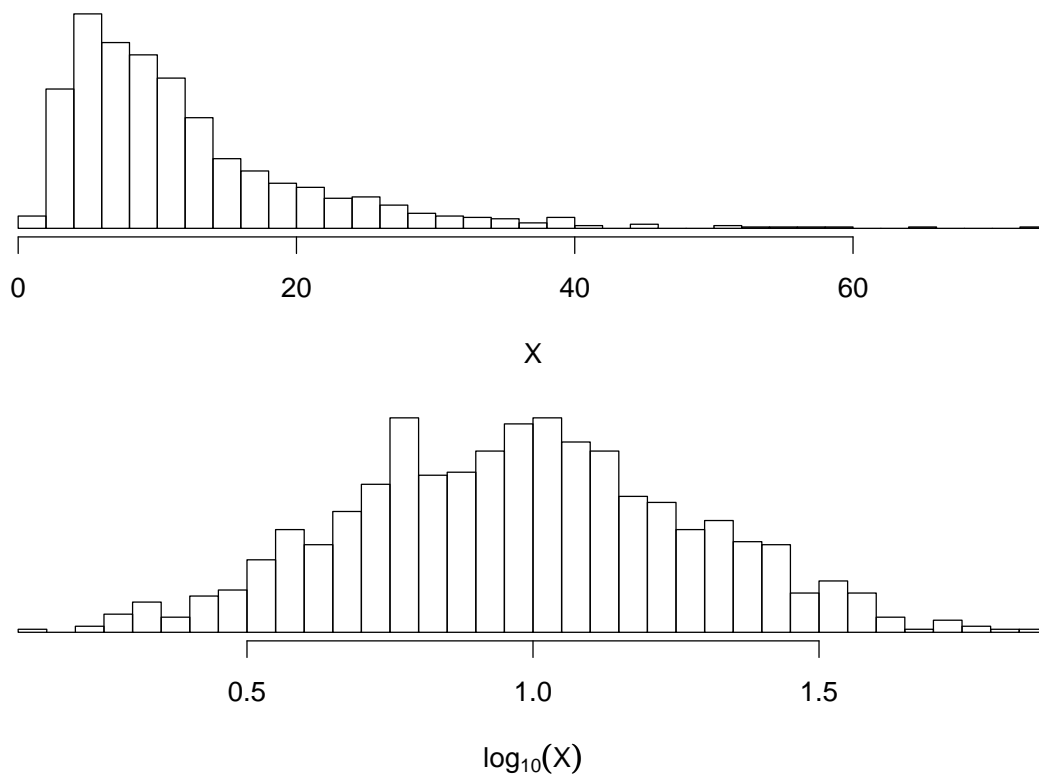

SD

70   80   90   100   110   120   130

GM
Mean
Median

25

Skewed data

SD

0   10   20   30   40

Median M
Mean

26

Logarithms

0.01	10^{-2}		1/4	2^{-2}
0.1	10^{-1}		1/2	2^{-1}
1	10^{0}		1	2^{0}
10	10^{1}		2	2^{1}
100	10^{2}		4	2^{2}
1000	10^{3}		8	2^{3}
10,000	10^{4}		16	2^{4}

log base 10   log base 2

Log transformation

X

$\log_{10}(X)$

mean = 100; SD = 30